

Nr 356.

Av herr **Werner** i Höjen m. fl., om *höjning av anslaget till främjande av det mindre jordbruket.*

(Lika lydande med motion i Första kammaren, nr 162.)

Stockholm i januari 1934.

Osc. Werner,
Höjen.

Gust. E. Andersson,
Leabo.

Aron Gustafsson,
Lekåsa.

Ivar Pettersson,
Rosta.

A. J. Johansson,
Bro.

Jones Erik Andersson
i Ovanmyra.

Wilhelm Beck.

Arvid De Geer.

K. A. Westman,
Brobygård.

K. A. Ryberg.

Albin Eriksson,
Toftered.

Harald Andersson
i Dunker.

Otto Niklasson.

M. L. Petersson,
Broaryd.

Georg Nyblom.

$$q^{n(n-1)/2} \prod_{i=1}^n (1-q^i)$$

Let n be a positive integer. The q -binomial coefficient is defined by

$$\begin{aligned} \binom{n}{k}_q &= \frac{(q^n-1)(q^{n-1}-1)\cdots(q^{n-k+1}-1)}{(q^k-1)(q^{k-1}-1)\cdots(q-1)} \\ &= \frac{(q^n-1)(q^{n-1}-1)\cdots(q^{n-k+1}-1)}{(q^k-1)(q^{k-1}-1)\cdots(q-1)} \end{aligned}$$

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